The table below describes the transformations of the parent function for radical/cubed root equations.

| Transformation | $f(x)$ Notation | Examples |
| :---: | :---: | :---: |
| Horizontal Translation Graph shifts left or right | $f(x-h)$ | $g(x)=\sqrt{x-2} \quad 2 \text { units right }$ $g(x)=\sqrt{x+3} \quad 3 \text { units left }$ <br> *If negative in front of $x$ under radical, translation is affected. Always verify in calculator. |
| Vertical Translation Graph shifts up or down | $f(x)+k$ | $\mathrm{g}(\mathrm{x})=\sqrt{x}+7 \quad 7$ units up $g(x)=\sqrt{x}-1 \quad 1$ units down |
| Reflection <br> Graph flips over $x$ - or $y$-axis | $\begin{aligned} & f(-x) \\ & -f(x) \end{aligned}$ | $g(x)=\sqrt{-x}$ reflects over $y$-axis <br> (starting point is affected) <br> $\mathrm{g}(\mathrm{x})=-\sqrt{x}$ reflects over the x -axis |
| Vertical Stretch or Shrink <br> Graph stretches away from or shrinks toward x -axis | $a \cdot f(x)$ | $\mathrm{g}(\mathrm{x})=4 \sqrt{x}$ more narrow by a factor of 4 <br> $g(x)=\frac{1}{5} \sqrt{x}$ wider by a factor of $\frac{1}{5}$ |

$$
f(x)=-2 \sqrt{x+2}-5
$$

Here is how the above story would be told....

- The function is reflected over the x-axis.
- The function is more narrow by a factor of 2 .
- The starting point shifts 2 left and 5 down from the origin.

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[^0]:    **Watch out for the following. If you have a coefficient under the radical, it changes different than you think:

    Horizontal Stretch or Shrink
    Graph stretches away from or shrinks toward $y$-axis
    f(ax)

    $$
    \begin{aligned}
    & \mathrm{g}(\mathrm{x})=\sqrt{3 x} \text { shrink by a factor of } \frac{1}{3} \\
    & \mathrm{~g}(\mathrm{x})=\sqrt{\frac{1}{2} x} \text { stretch by a factor of } 2
    \end{aligned}
    $$

