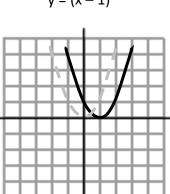
When a **function** is shifted horizontally and/or vertically, stretched or shrunk (compressed), or flipped in any way from its **parent function**, it is said to be transformed, and is a **transformation** of a **function**.

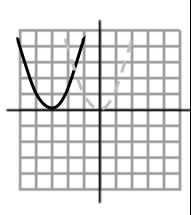
Let's explore some transformations and their effects of the equation.

Consider the following equations and their graphs.

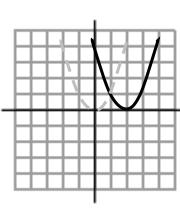




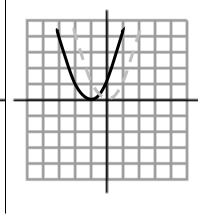
$$y = (x + 3)^2$$



$$y = (x - 2)^2$$



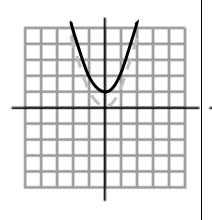
 $y = (x + 1)^2$



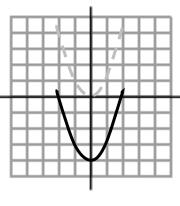
What effect does the number INSIDE the parenthesis have on the parent function?

Consider the next set of equations and their graphs...

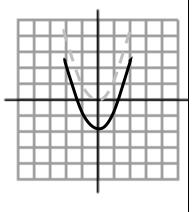
 $y = x^2 + 1$



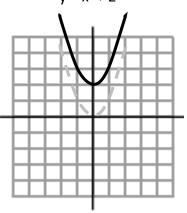
 $y = x^2 - 4$



 $y = x^2 - 2$

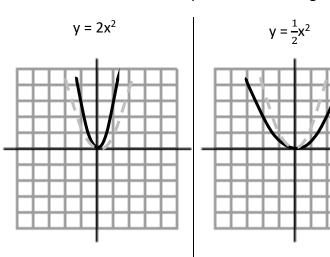


 $y = x^2 + 2$

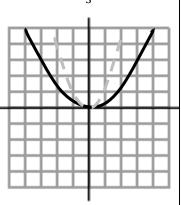


What effect does the number NOT INSIDE the parenthesis have on the parent function?

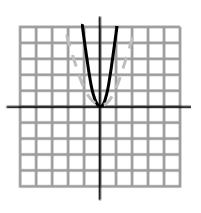
Consider the next set of equations and their graphs.



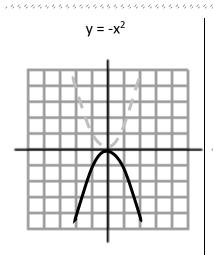




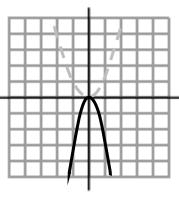
 $y = 3x^2$



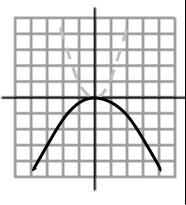
What effect does the "a" have on the parent function?



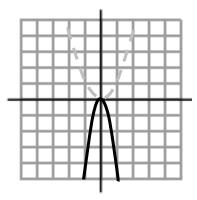
$$y = -2x^2$$



$$y = -\frac{1}{3}x^2$$



$$y = -3x^2$$

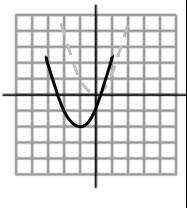


What effect does the **sign** of "a" have on the parent function?

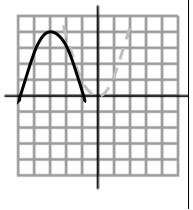
Do you think you could write the equations of the following graphs based on the previous observations?

Equation:

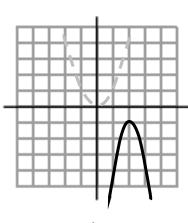
Equation:



Equation:



Equation:



Parent Function Transformation Intro