Name:

Date:

A **set** is a collection of objects or elements. A set is represented by listing its elements between { }. Capital letters are used to name sets. The *order* of the elements is *not* important.

- This symbol, \in , is used to indicate that an element is a member of a particular set.
 - For example, given set S = $\{1, 2, 3, 4, 5\}$. $5 \in S$ means that 5 is an element in set S.
- Similarly, 6 ∉ S means that 6 is NOT a member of S.
- The following are three different types of sets:

Empty set or null set	Finite set	Infinite set:	
a set that has no elements. written as { } OR φ Do not make the common error of writing the empty set as {φ}.	a set whose elements can be counted	a set whose elements cannot be counted because there is no end to the set	
Examples: The months with 32 days. Counting #s between 1 & 2	Examples: The set of all students in your math class. {1, 2, 3, 4, 5} {x x is a whole # less than 10}	Examples: The set of counting #s. The set of points on a straight line. {1, 2, 3, 4, 5,}	

Different Types of Notation

Type of Notation	Example	In words	
Roster Form –		The set of all integers > 5	
a list of the elements in { }	(0, 7, 8,)		
Interval Notation –			
Endpoints enclosed by parenthesis and/or brackets.	[3, 7]	All real #s ≥ 3 <u>and</u> ≤ 7	
- Brackets INCLUDE the # (closed interval)	(3, 7)	All real #s > 3 and < 7	
- Parenthesis <u>DO NOT INCLUDE</u> the # (open interval)	(3, 7]	All real $\#$ s > 3 and \leq 7	
	[3, 7)	All real $\#s \ge 3$ and < 7	

* ∞ (infinity) is used when an interval has only one endpoint and will always appear next to parenthesis

[-6, ∞) All real #s greater than or equal to -6

(- ∞ , 2) All real #s less than 2

{x | x is} which means x such that x is

Examples that include what a graph would look like and how it would be written as a compound inequality.

Description in Words	Interval Notation	Set Notation	Graph Example	Compound Inequality
The set of all real #s between 1 and 5, but not including 1 and 5	(1, 5)	{x x is all real #s > 1 but < 5}		1 < x < 5
The set of all real #s between 1 and 5, including 1 and 5	[1, 5]	$x x $ is all real $#s \ge 1$ and ≤ 5		1 <u>≤ x ≤</u> 5
The set of all real #s between 1 and 5, not including 1 but including 5	(1, 5]	{x x is all real #s > 1 but ≤ 5}		1 < x ≤ 5
The set of all real #s between 1 and 5, including 1 but not including 5	[1, 5)	{x x is all real #s ≥ 1 and < 5}		1 <u>≤</u> x < 5
The set of all real #s greater than 1	(1,∞)	$x x $ is all real #s > 1}		x > 1
The set of all real #s less than or equal to 5	(-∞, 5]	$\{x \mid x \text{ is all real } \#s \le 5\}$		x <u><</u> 5

Write the following inequalities as a compound inequality, using interval notation and using set notation.

1. -10 -9 -8 -7 -6 -5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10	2.
Compound Inequality: Interval:	Compound Inequality: Interval:
Set Notation: 3. -10 -9 -8 -7 -6 -5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10	Set Notation: 4. -10 -9 -8 -7 -6 -5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10
Compound Inequality: Interval:	_ Compound Inequality: Interval:
Set Notation: 5. -10 -9 -8 -7 -6 -5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10	Set Notation: 6. -10 -9 -8 -7 -6 -5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10
Compound Inequality: Interval:	Compound Inequality: Interval:
Set Notation: 7. -10 -9 -8 -7 -6 -5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10	Set Notation: 8. -10 -9 -8 -7 -6 -5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10
Compound Inequality: Interval:	Compound Inequality: Interval:
Set Notation: 9.	Set Notation: 10. -10 -9 -8 -7 -6 -5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10
Compound Inequality: Interval:	Compound Inequality: Interval:
Set Notation:	Set Notation: