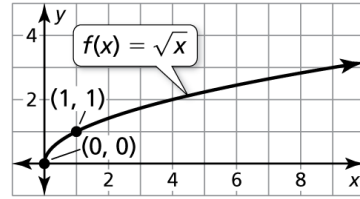


Name:

Date:

Period:

A **square root function** is a function that contains a square root with the independent variable ( $x$ ) in the radicand. The parent function for the family of square root functions is  $f(x) = \sqrt{x}$ .



The domain of  $f$  is  $\{x \mid x \text{ is all real } \#s \geq 0\}$

The range of  $f$  is  $\{y \mid y \text{ is all real } \#s \geq 0\}$

The graph of a square root function looks like half a parabola turned on its side.

Let's graph square root functions. Recognize the format?  $y = a\sqrt{(x-h)} + k$

To graph:

- Determine the starting point (Use your knowledge of parent function transformations).
- Make a table of values for each function beginning with the starting point. You will notice quite a few decimal #s in your table. Try to choose points that you can plot without question.
- Use the table to sketch the graph of each function.
- Describe the domain of each function (this will depend on the starting point).
- Describe the range of each function (this will depend on the starting point).
- Label your graph.

Find the starting point, then complete the table with several points that you think make sense. Use set notation to describe the domain and range.

Example 1:

$f(x) = 2\sqrt{x} + 4$  Starting Point: ( , )

x	y

Domain: \_\_\_\_\_  
Range: \_\_\_\_\_

Example 2:

$g(x) = \sqrt{x-3} + 2$  Starting Point: ( , )

x	y

Domain: \_\_\_\_\_  
Range: \_\_\_\_\_

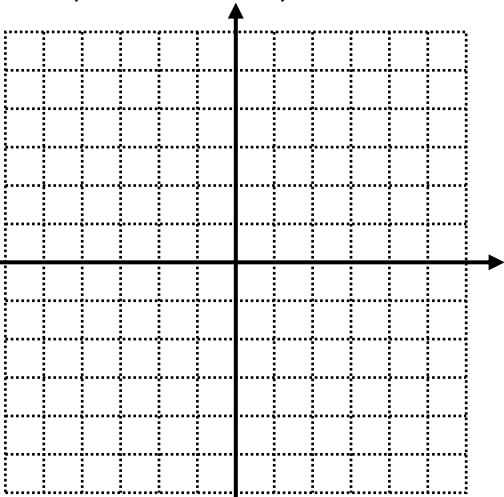
Example 3:

$h(x) = \sqrt{x+2} - 5$  Starting Point: ( , )

x	y

Domain: \_\_\_\_\_  
Range: \_\_\_\_\_

1. Graph the function:  $y = \sqrt{x} + 3$



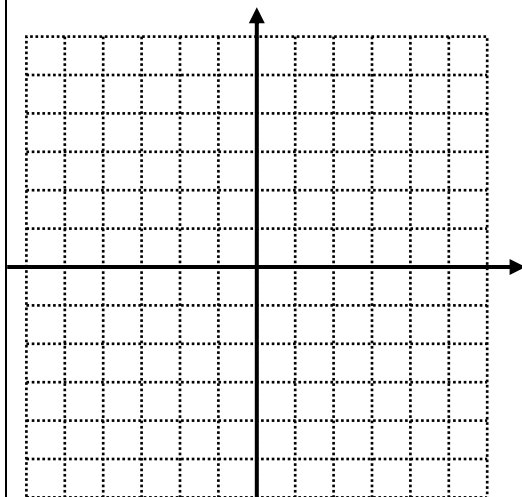
x	y

D: \_\_\_\_\_

R: \_\_\_\_\_

\*Interval Notation

2. Graph the function:  $y = \sqrt{x+4} - 2$



x	y

D: \_\_\_\_\_

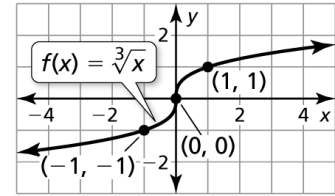
R: \_\_\_\_\_

\*Interval Notation

A **cubed root function** is a radical function with an index of 3. The parent function for the family of cube root functions is  $f(x) = \sqrt[3]{x}$ .

The domain of  $f$  is  $\{x \mid x \text{ is all real \#s}\}$

The range of  $f$  is  $\{y \mid y \text{ is all real \#s}\}$



The graph of a cubed root function looks like an "S" Curve.

Let's graph cubed root functions. Familiar Format?  $y = a\sqrt[3]{(x-h)} + k$

To graph:

- Determine the middle point (Use your knowledge of parent function transformations).
- Make a table of values for each function placing the middle point in the middle of the table. Choose points above **and** below your middle point. You will notice quite a few decimal #s in your table. Try to choose points that you can plot without question.
- Use the table to sketch the graph of each function.
- Describe the domain of each function (always all real #s).
- Describe the range of each function (always all real #s).
- Label your graph.

Find the middle point, then complete the table with several points that you think make sense. Use set notation to describe the domain and range.

Example 1:

$f(x) = \sqrt[3]{x-5} + 1$  Middle Point: ( , )

x	y

Domain: \_\_\_\_\_  
Range: \_\_\_\_\_

Example 2:

$g(x) = 2\sqrt[3]{x+1} - 3$  Middle Point: ( , )

x	y

Domain: \_\_\_\_\_  
Range: \_\_\_\_\_

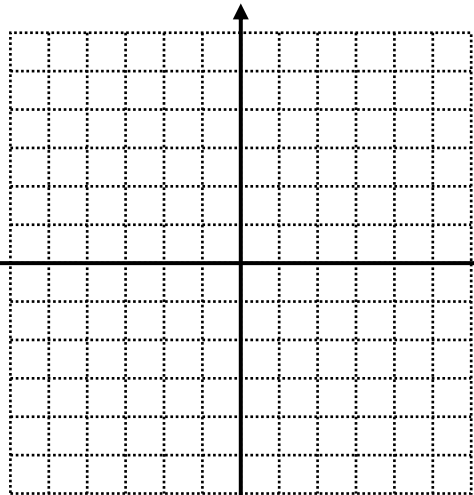
Example 3:

$h(x) = \sqrt[3]{x+6} + 2$  Middle Point: ( , )

x	y

Domain: \_\_\_\_\_  
Range: \_\_\_\_\_

1. Graph the function:  $y = \sqrt[3]{x+3} - 1$



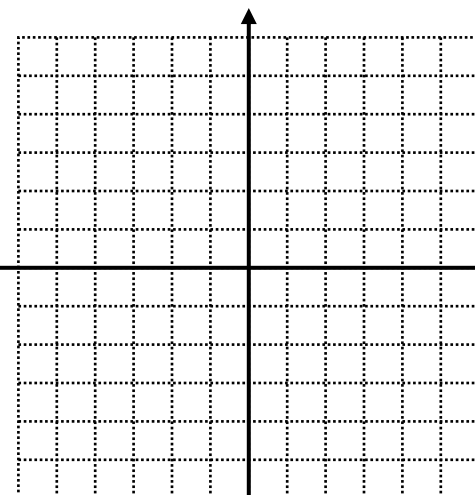
x	y

D: \_\_\_\_\_

R: \_\_\_\_\_

\*Interval Notation

2. Graph the function:  $y = \sqrt[3]{x} - 2$



x	y

D: \_\_\_\_\_

R: \_\_\_\_\_

\*Interval Notation

Name:

Date:

Period:

Graph each of the equations on a separate piece of graph paper. Indicate the domain and range using set notation.

1.  $y = \sqrt{x+4} + 4$

Starting Point:

( , )

x	y

Domain: \_\_\_\_\_  
Range: \_\_\_\_\_

2.  $y = -\sqrt{x+2} - 2$

Starting Point:

( , )

x	y

Domain: \_\_\_\_\_  
Range: \_\_\_\_\_

3.  $y = \sqrt{x} - 7$

Starting Point:

( , )

x	y

Domain: \_\_\_\_\_  
Range: \_\_\_\_\_

4.  $y = -\sqrt{x-5} + 3$

Starting Point:

( , )

x	y

Domain: \_\_\_\_\_  
Range: \_\_\_\_\_

5.  $y = 2\sqrt[3]{x-4} + 1$

Middle Point:

( , )

x	y

Domain: \_\_\_\_\_  
Range: \_\_\_\_\_

6.  $y = -\sqrt[3]{x+2} + 5$

Middle Point:

( , )

x	y

Domain: \_\_\_\_\_  
Range: \_\_\_\_\_

7.  $y = -4\sqrt[3]{x} - 4$

Middle Point:

( , )

x	y

Domain: \_\_\_\_\_  
Range: \_\_\_\_\_

8.  $y = \sqrt[3]{x+2} - 2$

Middle Point:

( , )

x	y

Domain: \_\_\_\_\_  
Range: \_\_\_\_\_