

Name:

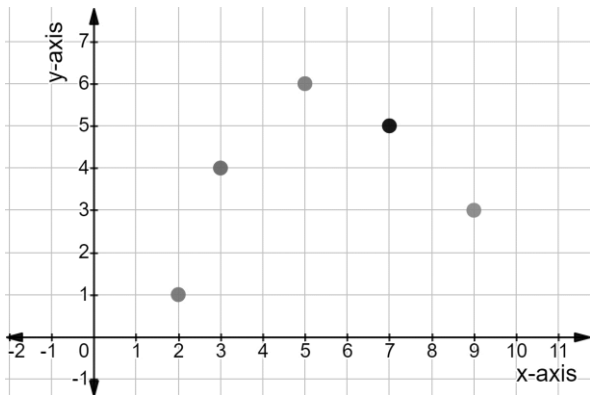
Date:

Period:

A domain can either be discrete or continuous.

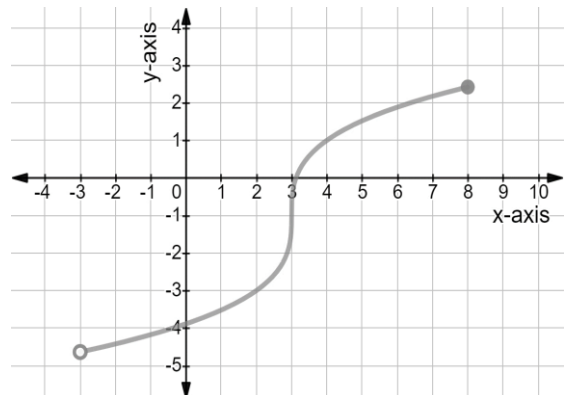
### Discrete (Not Connected)

- A **discrete** function would have x-values that stand alone, but not have an interval around them.
- For example, the number of children you have will be 0, 1, 2, 3, ... but numbers in between 1 and 2 do not make sense so are **NOT** included.
- The visual of a discrete function is just a bunch of **non-connected** points because all the values in between do not count as input values.

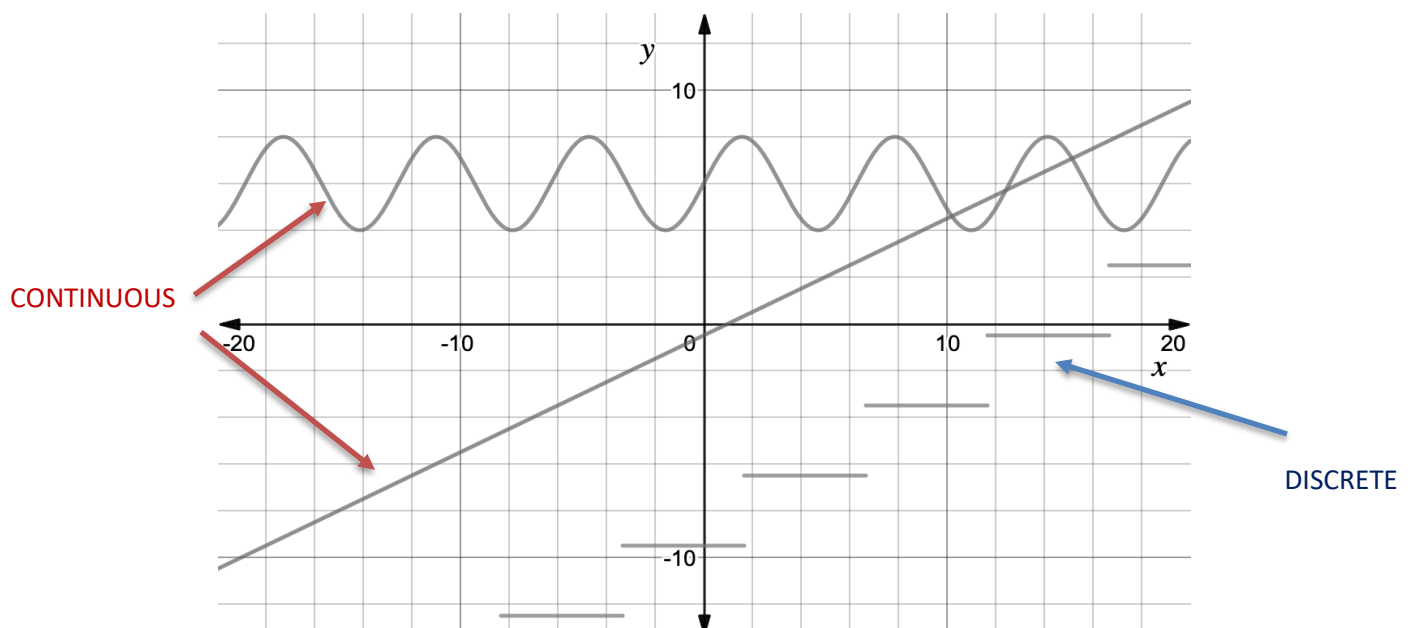


### Continuous (Connected)

- A **continuous** function will have **ALL** values of x in an interval.
- For example, things like time and weight can be broken down into extremely specific increments, therefore all the numbers in between **ARE** included.
- The visual of a continuous function is shown by points **connected** by lines, indicating that values in between two #s can be input values.



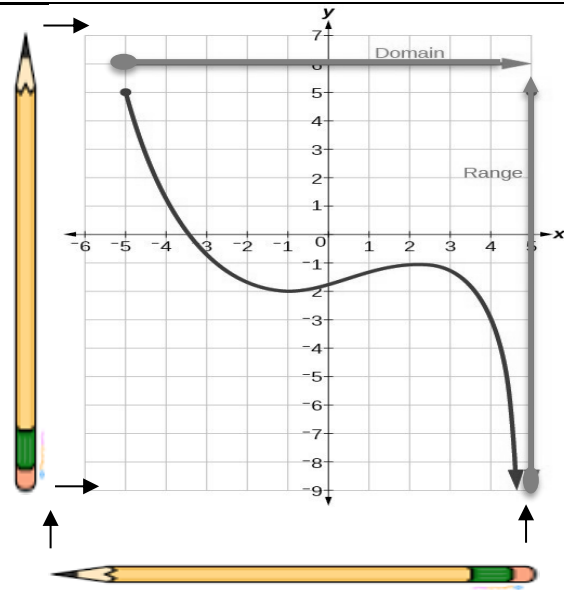
Continuous functions are graphs where there is a value of  $y$  for every single value of  $x$ , and each point is **immediately** next to the point on either side of it so that the line of the graph is **uninterrupted**. If the line is continuous, the graph is continuous.



The **domain** refers to the set of possible **input** values. The **range** is the set of possible **output** values. When identifying the domain and range, determine if the domain is discrete or continuous.

If discrete, you must list **all** the x-values and y-values **separately**.

If continuous, the domain and range can be written using several different notations since **ALL** points are **INCLUDED**. The following examples are continuous so we can use set notation, interval notation, and inequality notation.



To Determine **Domain**:

Slide your pencil from left to right.

- The first “point” you hit, determines the **beginning** of your domain. \*
- The last “point” you hit, determines the **end** of your domain. \*

D:  $\{x \mid x \text{ is all real \#s } \geq -5\}$

D:  $[-5, \infty)$

D:  $x \geq -5$

To Determine **Range**:

Drag your pencil from bottom to top.

- The first “point” you hit, determines the **beginning** of your range. \*
- The last “point” you hit, determines the **end** of your range. \*

**Set Notation:**

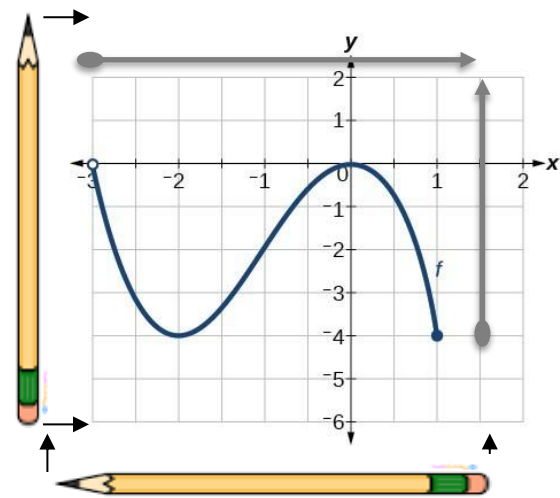
R:  $\{y \mid y \text{ is all real \#s } \leq 5\}$

**Interval Notation:**

R:  $(-\infty, 5]$

**An Inequality:**

R:  $y \leq 5$



To Determine **Domain**

Slide your pencil from left to right.

D:  $\{x \mid x \text{ is all real \#s } > -3 \text{ and } \leq 1\}$

D:  $(-3, 1]$

D:  $-3 < x \leq 1$

To Determine **Range**

Drag your pencil from bottom to top.

**Set Notation:**

R:  $\{y \mid y \text{ is all real \#s } \geq -4 \text{ and } < 0\}$

**Interval Notation:**

R:  $[-4, 0)$

**An Inequality:**

R:  $-4 \leq y < 0$

\*To determine the domain and range from a graph, **PAY ATTENTION TO THE START AND END POINTS**:

- Closed Circle **INCLUDES** the point.
- Open Circle **DOES NOT** include the point.
- An arrow indicates infinity or negative infinity depending on its location.
- A closed circle overrides an open circle.