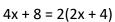
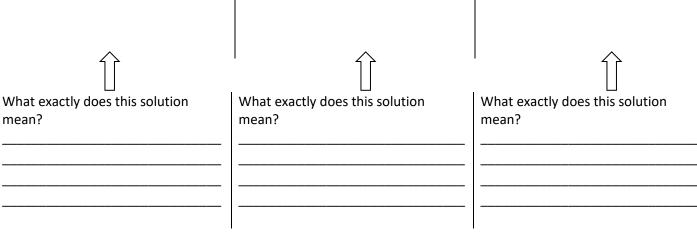
Name:

Date:

Let's refresh our memory..... Solve the following equations for x. 2x + 6 = 8 2x - 4 = 2x + 8

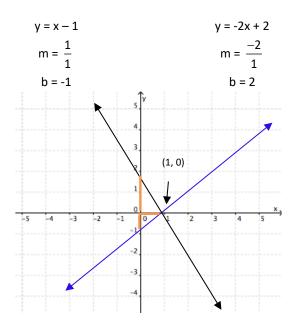
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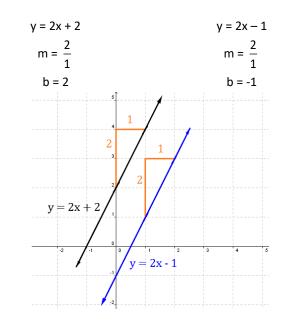
Different Types of Solutions to System of Equations Problems

When solving a system of equations (two equations, two variables), we can also have these three options. Let's look at examples.



The **<u>ONE SOLUTION</u>** is the <u>one</u> point of intersection that will work in both equations, (1, 0). There is <u>ONLY ONE POINT</u> the 2 lines <u>SHARE</u>.

Tell me about the slopes (m) of these lines:



_____ lines will <u>NEVER</u> cross, therefore there is <u>NO</u> <u>SOLUTION</u>. These 2 lines will <u>NEVER SHARE</u> a point.

Tell me about the slopes (m) of these lines:

Tell me about the y-intercepts (b) of these lines:

$$y = 2x + 1$$

$$m = \frac{2}{1}$$

$$b = 1$$

$$y - 3 = 2x - 2$$

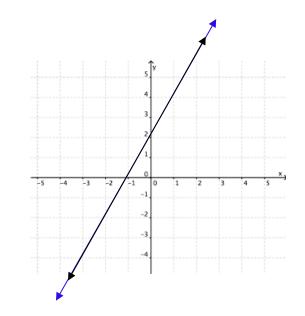
$$\frac{+3 + 3}{y = 2x + 1}$$

$$m = \frac{2}{1}$$

$$b = 1$$

Tell me about the slopes (m) of these lines:

Tell me about the y-intercepts (b) of these lines:



This example has **INFINITE SOLUTIONS**. There are an <u>infinite</u> number of points these 2 lines **SHARE** because it is the SAME line.

In summary:

There are <u>3</u> different TYPES of solutions to a system of equations problem. They are:

| Solution | | Solution(s) | | Solution(s) |
|------------------------------------|----------------------|---------------|----------------|---------------------|
| Two lines with | Two | lines with | Two lines with | |
| slopes. | | slopes, | | slopes |
| The y-intercepts may or may not be | but | y-intercepts. | and | y-intercepts. |
| the same. | | | | |
| There is solution because the | There is/are beca | | | solution(s) ause |

Solve the following systems of equations.

