Let's refresh our memory..... Solve the following equations for x .


What exactly does this solution mean?
$\qquad$
$\qquad$
$\left|\begin{array}{l}2 x-4=2 x+8 \\ \square \\ \text { What exactly does this solution } \\ \text { mean? }\end{array}\right|$

## Different Types of Solutions to System of Equations Problems

When solving a system of equations (two equations, two variables), we can also have these three options. Let's look at examples.


The ONE SOLUTION is the one point of intersection that will work in both equations, $(1,0)$. There is ONLY ONE POINT the 2 lines SHARE.

Tell me about the slopes ( m ) of these lines:

$$
\begin{array}{ll}
y=2 x+2 \\
m=\frac{2}{1} \\
b=2
\end{array} \quad \begin{array}{r}
y=2 x-1 \\
m=\frac{2}{1} \\
b=-1
\end{array}
$$

lines will NEVER cross, therefore there is NO
SOLUTION. These 2 lines will NEVER SHARE a point.
Tell me about the slopes ( m ) of these lines:

Tell me about the $y$-intercepts (b) of these lines:

$$
\begin{array}{cc}
y=2 x+1 & y-3=2 x-2 \\
m=\frac{2}{1} & \frac{+3}{}+3=2 x+1 \\
b=1 & m=\frac{2}{1} \\
& b=1
\end{array}
$$

Tell me about the slopes (m) of these lines:

Tell me about the y-intercepts (b) of these lines:


This example has INFINITE SOLUTIONS. There are an infinite number of points these 2 lines SHARE because it is the SAME line.

In summary:
There are $\underline{\mathbf{3}}$ different TYPES of solutions to a system of equations problem. They are:
Two Solution

Solve the following systems of equations.


$$
y=2 x+3 \quad y=-\frac{3}{2} x-4
$$

```
y=3x-2 y=3x+4
```




